PROFESSIONAL ENGINEERS ONTARIO NATIONAL EXAMINATIONS May 2017 16-CIV-A4 GEOTECHNICAL MATERIALS AND ANALYSIS

3 HOURS DURATION

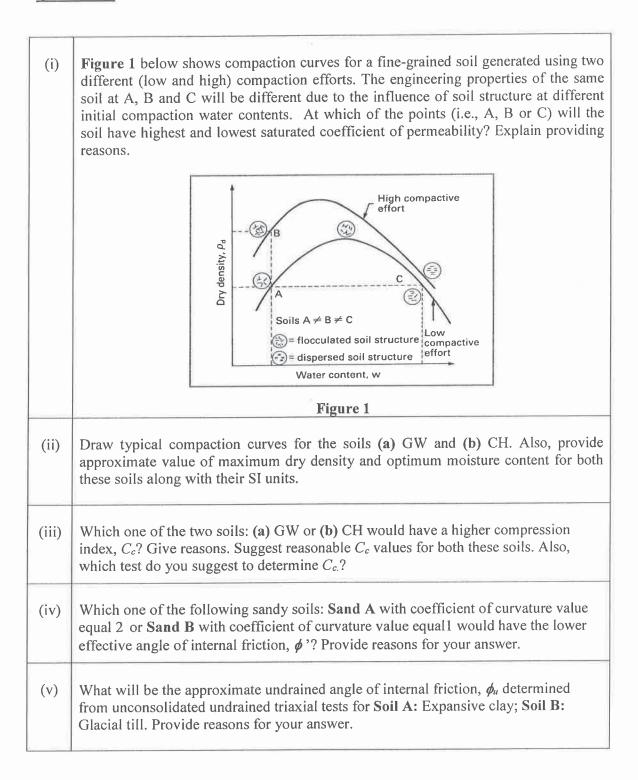
NOTES:

- 1. This is a closed book examination.
- 2. Read all questions carefully before you answer
- 3. Should you have any doubt regarding the interpretation of a question, you are encouraged to complete the question submitting a clear statement of your assumptions.
- 4. The total exam value is 100 marks
- 5. One of two calculators can be used: Casio or Sharp approved models.
- 6. Drawing instruments are required.
- 7. All required charts and equations are provided at the back of the examination.
- 8. YOU MUST RETURN ALL EXAMINATION SHEETS.

ANSWER ALL QUESTIONS

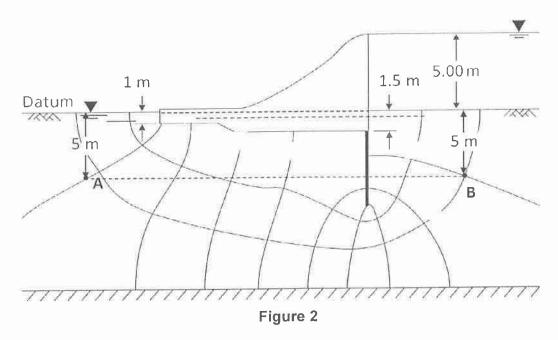
Question 1:

 $(4 \times 5 = 20 \text{ marks})$



Question 2:

Determine the effective stress at points A and B for the section through a dam spillway shown in **Figure 2**. Given that $\gamma_{sat} = 20 \text{ kN/m}^3$.



Question 3:

The results in **Table 2** given below were obtained at failure conditions from a series of Consolidated-Undrained triaxial tests with pore-water pressure measurements on fully saturated clay specimens $(u_0 = 0)$.

Table 2			
Specimen	Confining pressure	Deviator stress $(\sigma_1 - \sigma_3)$ kPa	Pore-water stress <i>u</i> (kPa)
	σ₃ (kPa)		
A	150	103	82
В	300	202	169
С	450	305	252

i) Determine the effective shear strength parameters for the tested soil (i.e., c' and ϕ'). Also, calculate the Skempton's A_f value for this clay. Is the clay normally consolidated or over consolidated? Give reasons. Note: Figure 3 will be useful for answering this question

(20 marks)

(Value: 20 marks)

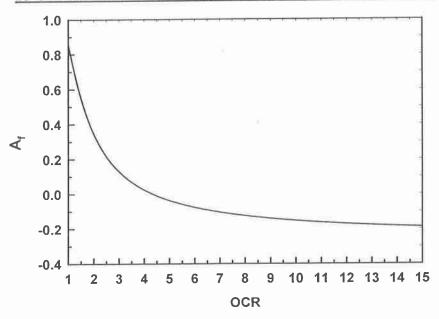
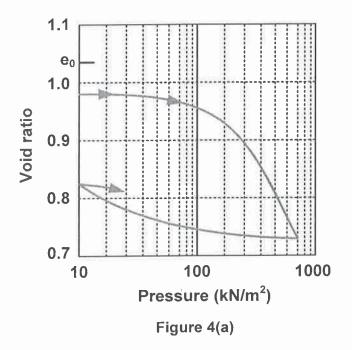


Figure 3. OCR versus Af relationship

Question 4: (Value: 20 marks)

Assume that the void ratio variation with respect to pressure relationship shown in **Figure 4(a)** is representative of the clay shown in **Figure 4(b)**. Determine the settlement in the clay layer under the centre of footing. Assume, specific gravity G = 2.7.



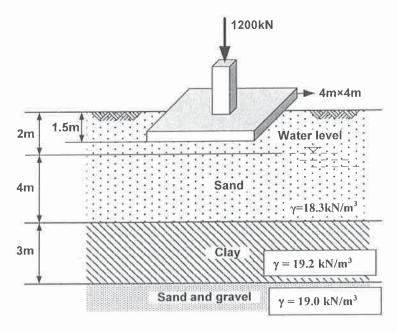
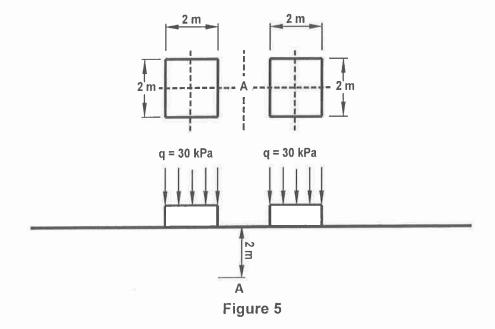


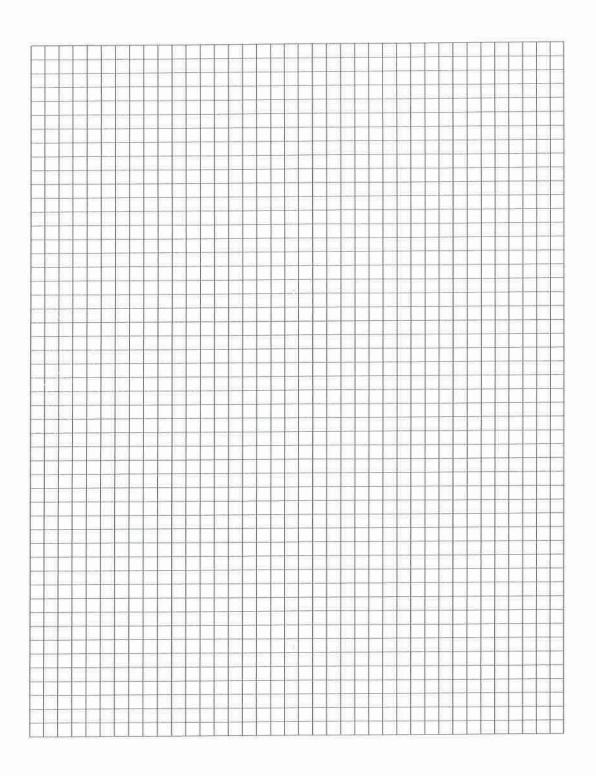
Figure 4(b)

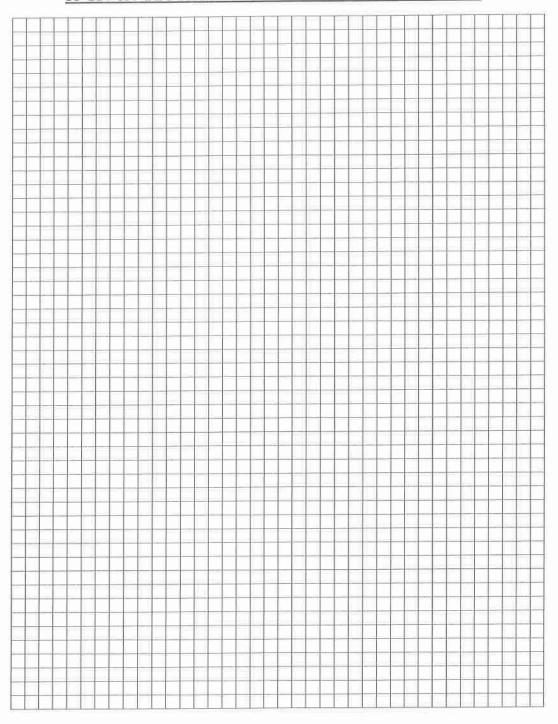
Question 5:

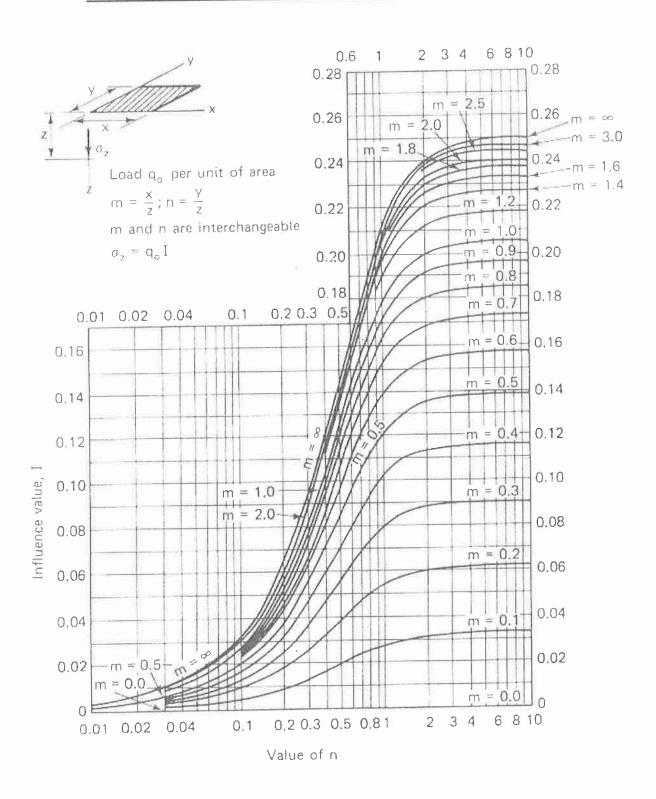
(Value: 20 marks)

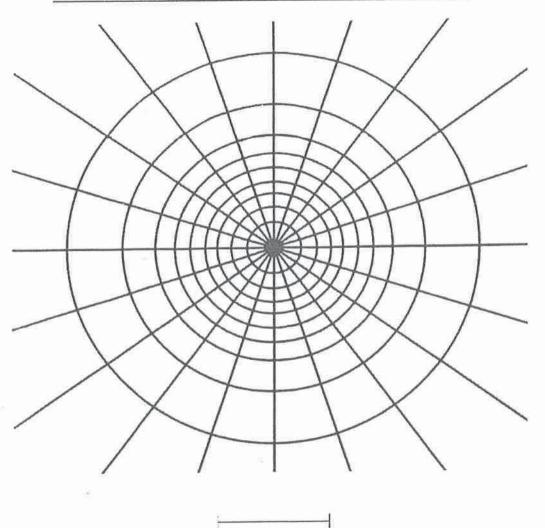
Figure 5 summarizes the loading on two footings. What will be the increase in the vertical stress $(\Delta\sigma_v)$ at point A which is located in the middle of two foundations and is 2 meters deep from the ground surface? Calculation should be performed using two different methods.











Depth scale

 $I_{N} = 0.005$

$$G_s = \frac{\rho_s}{\rho_w} \qquad \rho = \frac{(Se + G_s)\rho_w}{1 + e} \qquad \gamma = \frac{(Se + G_s)\gamma_w}{1 + e} \qquad wG = Se$$

$$\gamma = \frac{\left(Se + G_S\right)\gamma_w}{1 + e}$$

$$wG = Se$$

$$\sigma = \gamma D$$

$$\sigma = \gamma D$$
$$P = \sum N' + u A$$

$$\frac{P}{A} = \frac{\sum N'}{A} + u$$

$$\sigma = \sigma' + u \ (or)$$

$$\sigma' = \sigma - u$$

For a fully submerged soil $\sigma' = \gamma' D$

$$v = ki$$
; where $i = h/L$; $q = kiA$; $\Delta h = \frac{h_w}{N}$

$$q = kiA;$$

$$\Delta h = \frac{h_{\text{\tiny M}}}{N}$$

$$q = k \cdot h_{w} \cdot \frac{N_{f}}{N_{d}} (width); \qquad h_{p} = \frac{n_{d}}{N_{d}} h_{w}$$

$$h_p = \frac{n_d}{N_d} h_w$$

Boussinesq's equation for determining vertical stress due to a point load

$$\sigma_z = \frac{3Q}{2\pi z^2} \left\{ \frac{1}{1 + \left(\frac{r}{z}\right)^2} \right\}^{5/2}$$

Determination of vertical stress due to a rectangular loading: $\sigma_z = q I_c$ (Charts also available)

m = B/z and n = L/z (both m and n are interchangeable)

Approximate method to determine vertical stress, $\sigma_z = \frac{qBL}{(B+z)(L+z)}$

Equation for determination vertical stress using Newmark's chart: $\sigma_z = 0.005 \, N \, q$

$$\tau_f = c' + (\sigma - u_w) \tan \phi';$$

$$\tau_f = c' + \left(\sigma - u_w\right)\tan\phi'; \qquad \sigma_1' = \sigma'_3 \tan^2\left(45^o + \frac{\phi'}{2}\right) + 2c' \tan\left(45^o + \frac{\phi'}{2}\right)$$

Mohr's circles can be represented as stress points by plotting the data $\frac{1}{2}(\sigma'_1 - \sigma'_3)$

against
$$\frac{1}{2}(\sigma'_1 + \sigma'_3)$$
; $\phi' = \sin^{-1}(\tan \alpha')$ and $c' = \frac{a}{\cos \phi'}$

$$\begin{split} \frac{\Delta e}{\Delta H} &= \frac{1 + e_o}{H_o}; \quad s_c = H \frac{C_c}{1 + e_o} \log \frac{\sigma'_1}{\sigma'_o}; \quad s_c = \mu \, s_{od}; \quad m_v = \frac{\Delta e}{1 + e} \left(\frac{1}{\Delta \sigma'}\right) = \frac{1}{1 + e_o} \left(\frac{e_o - e_1}{\sigma'_1 - \sigma'_0}\right) \\ \frac{t_{lab}}{d_{lab}^2} &= \frac{t_{field}}{\left(H_{field}/2\right)^2} \\ T_v &= \frac{c_v t}{d^2}; \quad T_v = \frac{\pi}{4} U^2 \text{ (for U < 60\%)} \\ T_v &= -0.933 \log \left(1 - U\right) - 0.085 \text{ (for U > 60\%)} \\ C_c &= \frac{e_o - e_1}{\log \left(\frac{\sigma_1'}{\sigma_0}\right)}; \quad \text{also, } C_c = 0.009(LL - 10); \end{split}$$